#### **ADDITION**

**Reception:** 

# ELSTON HALL Learning Trust

EHLT are implementing Mastering Number at Reception in September 2024.

The programme aims to secure firm foundations in the development of good number sense for all children from Reception through to Year 1 and Year 2. The aim over time is that children will leave KS1 with fluency in calculation and a confidence and flexibility with number. Attention will be given to key knowledge and understanding needed in Reception classes, and progression through KS1 to support success in the future. Over the year, the children will experience using a range of resources and representations.

Research shows that children with secure 'number sense' early on will make more progress later on in maths and across the curriculum.

ADDITION KEY VOCABULARY					
Year 1	Year 2	Year 3	Year 4	Year 5	Year 6
number bonds; number facts; Addition facts; Fact family; sum; total; whole; parts; plus; add; altogether; more; is equal to; is the same as as many as; Tens, ones; exchange; digit; one more; count on; double; most;	Add; count on; more; Plus; total; sum; partition; bridge; adjust; Inverse; number line; number facts; hundred; tens; ones; tens boundary; whole; parts; altogether; is equal to; is the same as; number bonds; number facts; fact families;	Calculation; calculate; addition; Sum; total; whole; part; column addition; ones; tens; hundreds; exchange/regroup; operation; estimate; inverse; hundreds boundary; increase; expanded; compact	Calculation; calculate; addition; Sum; total; whole; part; column addition; ones; tens; hundreds; thousands; exchange/regroup; operation; estimate; inverse; hundreds boundary; thousand boundary; increase; expanded; compact	Calculation; calculate; addition; Sum; total; whole; part; column addition; ones; tens; hundreds; thousands; exchange/regroup; operation; estimate; inverse; hundreds boundary; thousand boundary; increase; expanded; compact; decimal place; decimal point; tenths; bundredths;	Calculation; calculate; addition; Sum; total; whole; part; column addition; ones; tens; hundreds; thousands; exchange/regroup; operation; estimate; inverse; hundreds boundary; thousand boundary; increase; expanded; compact; decimal place; decimal point; tenths; bundredths;
				thousandths	thousandths

\*This vocabulary is not an exhaustive list. Teachers will use recommended NCETM vocabulary in lessons.





#### **RECEPTION ADDITION**

	REAL-LIFE REPRESENTATION	OTHER REPRESENTATION
Counting and adding more (within 5)	Children add one more person or object to a group to find one more.	Children represent first, then, now stories on a five frame. They make the first number and then add one more.
		First
	<b>Mar 6 6 6</b>	Then
	One more than 3 is 4.	
		Now
		First, there are 3 bikes. Then, 1 more bike came. Now, there are 4 bikes.



		0
Combining groups to find	Children sort people and objects into parts and combine them to find the whole.	Children use counters or cubes in a part-whole model to find the whole.
the whole		
	The parts are 3 and 4. The whole is 7.	The parts are 3 and 4. The whole is 7.
Finding	Children combine two groups to find a number bond to 10.	Use ten frames and part-whole models to represent key number
number bonds to 10	There are 8 bottles on the wall.         There are 10 bottles altogether.	bonds.



Adding by counting on (number track)	Children jump along a physical number track. They start at the larger number and count on the smaller number to find the total.	Children use a number track and a counter. They start at the larger number and count on the smaller number to find the to	
	123456	1 2 3 4 5 6 7 8 9 10	
Adding by counting on (ten frames)	Children find the total number by counting on from the larger number.	Children make the larger number on the ten frames and then make the smaller number, counting on to find the total. They can use counters, cubes or other objects on the ten frames.	



#### **YEAR 1 ADDITION**



	CONCRETE	PICTORIAL	ABSTRACT
Counting and adding more	Children add one more person or object to a group to find one more.	Children add one more cube or counter to a group to represent one more.	Use a number line to understand how to link counting on with finding one more.
			One more than 6 is 7.
		One more than 4 is 5.	7 is one more than 6.
			Learn to link counting on with adding more than one.
			5 + 3 = 8
Understanding	Sort people and objects into parts and	Children draw to represent the parts and	Use a part-whole model to represent the
part-part- whole relationship	understand the relationship with the whole.	understand the relationship with the whole.	10 6 4
			6 + 4 = 10
		<i>The parts are 1 and 5. The whole is 6.</i>	6 + 4 = 10
	<i>The parts are 2 and 4. The whole is 6.</i>		







Adding by counting on	Children use knowledge of counting to 20 to find a total by counting on using people or objects. 8 on the bus	Children use counters to support and represent their counting on strategy.	Children use number lines or number tracks to support their counting on strategy. 7 7 7 + 5 =
Adding the 1s	Children use bead strings to recognise how to add the 1s to find the total efficiently. 2 + 3 = 5 12 + 3 = 15	Children represent calculations using ten frames to add a teen and 1s. 2 + 3 = 5 12 + 3 = 15	Children recognise that a teen is made from a 10 and some 1s and use their knowledge of addition within 10 to work efficiently. 3 + 5 = 8 So, $13 + 5 = 18$
Bridging the 10 using number bonds	Children use a bead string to complete a 10 and understand how this relates to the addition. 7 add 3 makes 10. So, 7 add 5 is 10 and 2 more.	Children use counters to complete a ten frame and understand how they can add using knowledge of number bonds to 10.	Use a part-whole model and a number line to support the calculation. 4 1 3 4 9 10 11 12 13 9 + 4 = 13



#### **YEAR 2 ADDITION**



	CONCRETE	PICTORIAL	ABSTRACT
Understanding 10s and 1s	Group objects into 10s and 1s.	Understand 10s and 1s equipment, and link with visual representations on ten frames.	Represent numbers on a place value grid, using equipment or numerals.
	Bundle straws to understand unitising of 10s.		TensOnes32TensOnes43
Adding 10s	Use known bonds and unitising to add 10s.	Use known bonds and unitising to add 10s.	Use known bonds and unitising to add 10s.
	$ \begin{array}{c}  \hline     \end{array} \\  \hline     \end{array} \\  \hline     $ $ \begin{array}{c}         \\         \\         \\         $	$ \begin{array}{c} \bullet \\ \bullet \\ \bullet \\ \bullet \\ \bullet \end{array} + \begin{array}{c} \bullet \\ \bullet \\ \bullet \\ \bullet \\ \bullet \end{array} = \begin{array}{c} \bullet \\ \bullet \\ \bullet \\ \bullet \\ \bullet \\ \bullet \end{array} + \begin{array}{c} \bullet \\ \bullet \\ \bullet \\ \bullet \\ \bullet \\ \bullet \end{array} + \begin{array}{c} \bullet \\ \bullet \\ \bullet \\ \bullet \\ \bullet \\ \bullet \\ \bullet \end{array} + \begin{array}{c} \bullet \\ \bullet $	$7 \\ 4 \\ 3 \\ 4 + 3 = 1 \\ 4 + 3 = 7 \\ 4 tens + 3 tens = 7 tens \\ 40 + 30 = 70$
			40 + 30 = 70







Adding a	Exchange 10 ones for 1 ten.	Exchange 10 ones for 1 ten.	Exchange 10 ones for 1 ten.
1-digit number to a 2-digit number using exchange			$ \begin{array}{c} T \\ 0 \\ 2 \\ 4 \\ + \\ 2 \\ - \\ 2 \\ - \\ 1 \\ \end{array} $ $ \begin{array}{c} T \\ 0 \\ 2 \\ 4 \\ 8 \\ 3 \\ 2 \\ - \\ 1 \\ \end{array} $
Adding a multiple of 10 to a 2-digit	Add the 10s and then recombine.	Add the 10s and then recombine.	Add the 10s and then recombine. 37 + 20 = ?
number	10       10       10       10       10       10         27 is 2 tens and 7 ones.       50 is 5 tens.	66  is  6  tens and  6  ones. $66 + 10 = 76$ $1 2 3 4 5 6 7 8 4 10$ $1 2 3 4 5 6 7 8 4 10$ $1 2 3 4 5 6 7 8 4 10$ $1 2 3 4 5 6 7 8 4 10$ $2 3 4 5 6 7 8 4 10$ $2 3 4 5 6 7 8 4 10$ $2 3 4 5 6 7 8 4 10$ $2 3 4 5 6 7 8 4 10$ $2 3 4 5 6 7 8 4 10$ $2 3 4 5 6 7 8 4 10$	30 + 20 = 50 50 + 7 = 57 37 + 20 = 57
	<i>There are 7 tens in total and 7 ones.</i> <i>So, 27 + 50 is 7 tens and 7 ones.</i>	A 100 square can       31       22       32       34       35       36       37       38       39         support this       41       42       43       44       45       46       47       48       24       43       44       45       46       50         understanding.       51       52       53       54       55       56       57       58       59       60         61       62       63       64       65       66       67       68       69       70         71       72       73       74       75       76       77       78       74       80         81       82       83       84       85       86       87       88       89       90         91       92       93       94       95       96       97       98       94       100	







Adding two	Add the 1s. Then add the 10s.	Add the 1s. Then add the 10s.
2-digit numbers using a place value grid	Tens Ones   Image: state sta	$     \begin{array}{c}       T \\       T \\       + 1 \\       4 \\       \hline       4 \\       \hline       5     \end{array} $ $     \begin{array}{c}       T \\       + 1 \\       4 \\       \hline       6   \end{array} $ $     \begin{array}{c}       T \\       T \\       - 1 \\       4 \\       4 \\       6   \end{array} $
Adding two 2-digit numbers with exchange	Add the 1s. Exchange 10 ones for a ten. Then add the 10s. + Tens Ones 3 6 000 000000 2 q Tens Ones 000000000000000000000000000000000000	Add the 1s. Exchange 10 ones for a ten. Then add the 10s. $\frac{T}{3} \frac{O}{6} + \frac{2}{2} \frac{q}{5} - \frac{1}{1}$





#### **YEAR 3 ADDITION**

	CONCRETE	PICTORIAL	ABSTRACT
Understanding	Understand the cardinality of 100, and the link with 10 tens.	Unitise 100 and count in steps of 100.	Represent steps of 100 on a number line and a number track and count up to 1,000 and
	Use cubes to place into groups of 10 tens.		back to 0.
	•       •		0 100 200 300 0 600 700
	• • • • • • • • • • • • • • • • • • •		500 400 200 0
Understanding	Unitise 100s, 10s and 1s to build 3-digit	Use equipment to represent numbers to	Represent the parts of numbers to 1,000
place value to	numbers.	1,000.	using a part-whole model.
1,000			215
		200 240 241	215 = 200 + 10 + 5
		Use a place value grid to support the structure of numbers to 1,000.	Recognise numbers to 1,000 represented on a number line, including those between
		Place value counters are used alongside other equipment. Children should understand how each counter represents a different unitised amount.	







3-digit	Understand that when the 1s sum to 10 or	Exchange 10 ones for 1 ten where needed.	Understand how to bridge by partitioning to the 1s to make the next 10.
number + 1s	more, this requires an exchange of 10 ones	Use a place value grid to support the	
with exchange	for 1 ten.	understanding.	
	Children should explore this using unitised objects or physical apparatus.	$ \begin{array}{c c c c c c c c c c c c c c c c c c c $	$ \begin{array}{r}                                     $



3-digit number + 10s, no exchange	Calculate mentally by forming the number bond for the 10s.	Calculate mentally by forming the number bond for the 10s. 351 + 30 = ?	Calculate mentally by forming the number bond for the 10s. 753 + 40 I know that 5 + 4 = 9 So, 50 + 40 = 90 753 + 40 = 793
	<i>234 + 50</i> <i>There are 3 tens and 5 tens altogether.</i> <i>3 + 5 = 8</i> <i>In total there are 8 tens.</i> <i>234 + 50 = 284</i>	5 tens + 3 tens = 8 tens 351 + 30 = 381	
3-digit number + 10s, with exchange	Understand the exchange of 10 tens for 1 hundred.	Add by exchanging 10 tens for 1 hundred.         184 + 20 = ?         H       T         0       0000         H       T         0       0000         H       T         0       0000         184 + 20 = 204	Understand how the addition relates to counting on in 10s across 100. 184 + 20 = ? 1 can count in 10s 194 204 184 + 20 = 204 Use number bonds within 20 to support efficient mental calculations. 385 + 50 There are 8 tens and 5 tens. That is 13 tens. 385 + 50 = 300 + 130 + 5 385 + 50 = 435



			<b>J</b>	
3-digit number + 2- digit number	Use place value equipment to make and combine groups to model addition.	Use a place value grid to organise thinking and adding of 1s, then 10s.	Use the vertical column method to represent the addition. Children must understand how this relates to place value at each stage of the calculation.	
3-digit number + 2- digit number, exchange required	Use place value equipment to model addition and understand where exchange is required. Use place value counters to represent 154 + 72. Use this to decide if any exchange is required. There are 5 tens and 7 tens. That is 12 tens so I will exchange.	Represent the required exchange on a place value grid using equipment. 275 + 16 = ? 275 + 16 = 291 Note: In this example, a mental method may be more efficient. The numbers for the example calculation have been chosen to allow children to visualise the concept and see how the method relates to place value. Children should be encouraged at every stage to select methods that are accurate and efficient.	Use a column method with exchange. Children must understand how the method relates to place value at each stage of the calculation. $\frac{H T O}{2 7 5} + 16 = 291$ $\frac{H T O}{2 7 5} + \frac{1 6}{9 1} 6$ $\frac{H T O}{2 7 5} + \frac{1 6}{2 $	
3-digit number + 3- digit number, no exchange	Use place value equipment to make a representation of a calculation. This may or may not be structured in a place value grid. 326 + 541  is represented as: 326 + 541  is 326 + 541  is	Represent the place value grid with equipment to model the stages of column addition.	Use a column method to solve efficiently, using known bonds. Children must understand how this relates to place value at every stage of the calculation.	



3-digit number + 3- digit number, exchange required	Use place value equipment to enact the exchange required. H T O O O O O O O O O O O O O O O O O O	Model the stages of column addition using place value equipment on a place value grid.	Use column addition, ensuring understanding of place value at every stage of the calculation. $\frac{H T 0}{1 2 6}$ $\frac{2 1 7}{3}$ $\frac{126 + 217 = 343}{1}$ Note: Children should also study examples where exchange is required in more than one column, for example 185 + 318 = ? $\frac{H T 0}{1 2 6}$ $\frac{1}{2 2 7}$ $\frac{1}{3 4 3}$
Representing addition problems, and selecting appropriate methods	Encourage children to use their own drawings and choices of place value equipment to represent problems with one or more steps. These representations will help them to select appropriate methods.	Children understand and create bar model to represent addition problems. 275 + 99 = ? 374 275 qq 275 + 99 = 374	Use representations to support choices of appropriate methods. ? 275 qq <i>I will add 100, then subtract 1 to find the</i> <i>solution.</i> 128 + 105 + 83 = ? <i>I need to add three</i> <i>numbers.</i> 316 233 83



#### **YEAR 4 ADDITION**



	CONCRETE		PICT	ORIAL		ABSTRACT
Understanding numbers to 10,000	Use place value equipment to understand the place value of 4-digit numbers.	Represent numbers using place value counters once children understand the relationship between 1,000s and 100s. 2,000 + 500 + 40 + 2 = 2,542			value nd the 1 100s. • • • •	Understand partitioning of 4-digit numbers, including numbers with digits of 0. $\overrightarrow{5,000}_{60}$ $\overrightarrow{8}$ $5,000 + 60 + 8 = 5,068$ Understand and read 4-digit numbers on a number line.
Choosing mental methods where appropriate	Use unitising and known facts to support mental calculations. <i>Make 1,405 from place value equipment.</i> <i>Add 2,000.</i> <i>Now add the 1,000s.</i> <i>1 thousand + 2 thousands = 3 thousands</i> <i>1,405 + 2,000 = 3,405</i>	Use unitisi mental cal Th Th Th Tan Tan I can add th 200 + 300	ng and kno culations. H • • • the 100s m = 500	own facts to	o support	Just constraints       5,020         Use unitising and known facts to support mental calculations.       4,256 + 300 = ?         2 + 3 = 5       200 + 300 = 500         4,256 + 300 = 4,556       4,256 + 300 = 4,556
		So, 4,256	+ 300 = 4,5	556		



Column addition with exchange	Use place value equipment on a place value grid to organise thinking.	Use place value equipment to model required exchanges.	Use a column method to add, including exchanges.
<b></b>	Ensure that children understand how the columns relate to place value and what to do if the numbers are not all 4-digit numbers.	Th     H     T     O       Image: Constraint of the state of the stat	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$
	Th         H         T         O		
	Why have only three columns been used for the second row? Why is the Thousands box empty?         Which columns will total 10 or more?		$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$
			Th H T O I 5 5 4 + 4 2 3 7
		Include examples that exchange in more than one column.	5 7 9 1
			Include examples that exchange in more than one column.



Representing additions and checking	Bar models may be used to represent additions in problem contexts, and to justify mental methods where appropriate.	Use rounding and estimating on a number line to check the reasonableness of an addition.
strategies	II,373         Th         H         T         O           799         574         +         5         7         4           I         3         7         3         3	912 + 6,149 = ?
	I chose to work out 574 + 800, then subtract 1.	<i>I used rounding to work out that the answer should be approximately 1,000 + 6,000 = 7,000.</i>
	6,000 I 2,999 3,001	
	<i>This is equivalent to 3,000 + 3,000.</i>	





#### **YEAR 5 ADDITION**

	CONCRETE	PICTORIAL	ABSTRACT
Column addition with whole numbers	Use place value equipment to represent additions. Add a row of counters onto the place value grid to show 15,735 + 4,012.	Represent additions, using place value equipment on a place value grid alongside written methods.         TTh       Th       H       T       0         Image: The second sec	Use column addition, including exchanges.
Representing additions		Bar models represent addition of two or more numbers in the context of problem solving. $\begin{array}{c c} \hline fiq,57q & f28,370 & f16,725 \\ \hline fiq,57q & f16,725 & f16,725 & f16,725 \\ \hline fiq,57q & f16,725 & f16,725 & f16,725 & f16,725 \\ \hline fiq,57q & f16,725 & f16,$	Use approximation to check whether answers are reasonable. $\frac{TTh Th H T O}{2 3 4 0 5} + 7 8 9 2 + 7 8 9 2 + 7 8 9 2 - 3 1 2 9 7$ $H Will use 23,000 + 8,000 to check.$



Adding tenths	Link measure with addition of decimals.	Use a bar model with a number line to add	Understand the link with adding fractions.
		tenths.	
	<i>Two lengths of fencing are 0.6 m and</i>	0.6	$\frac{6}{10} + \frac{2}{10} = \frac{8}{10}$
	0·2 m.	0.6 m 0.2 m	10 10 10
	How long are they when added together?		6 tenths + 2 tenths - 8 tenths
	0.6 m 0.2 m		0.6 + 0.2 = 0.8
	0.0 m 0.2 m		
		0 0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8 0.9 1	
		0·6 + 0·2 = 0·8	
		6 tenths + 2 tenths = 8 tenths	
Adding	Use place value equipment to represent	Use place value equipment on a place value	Add using a column method, ensuring that
decimals using	additions.	grid to represent additions.	children understand the link with place
column			value.
addition	Show 0.23 + 0.45 using place value	Represent exchange where necessary.	$0 \cdot 2 3$
	counters.		$+ 0 \cdot 4 5$
			0 · 6 8
			Include exchange where required, alongside
			an understanding of place value.
			O · Tth Hth
			0 · 9 2
		Include examples where the numbers of	$+ \frac{0}{1} \cdot \frac{3}{2} \cdot \frac{3}{5}$
		decimal places are different.	
			Include additions where the numbers of
		$\begin{array}{c c c c c c c c c c c c c c c c c c c $	decimal places are different.
		$+ \frac{1 \cdot 2 \cdot 5}{6 \cdot 2 \cdot 5}$	3.4 + 0.65 = ?
			O · Tth Hth
			3 · 4 0
			$+ 0 \cdot 6 5$

