#### **MULTIPLICATION**

#### **Reception:**

EHLT are implementing Mastering Number at Reception in September 2024.

The programme aims to secure firm foundations in the development of good number sense for all children from Reception through to Year 1 and Year 2. The aim over time is that children will leave KS1 with fluency in calculation and a confidence and flexibility with number. Attention will be given to key knowledge and understanding needed in Reception classes, and progression through KS1 to support success in the future. Over the year, the children will experience using a range of resources and representations.

Research shows that children with secure 'number sense' early on will make more progress later on in maths and across the curriculum.

MULTIPLICATION KEY VOCABULARY						
Year 1	Year 2	Year 3	Year 4	Year 5	Year 6	
Groups of; lots of; times; array; altogether; multiply; count	Groups of; lots of; times; array; altogether; multiply; count; multiplied by; repeated addition; factor	Groups of; lots of; times; array; altogether; multiply; count; multiplied by; repeated addition; column; row; commutative; sets of; equal groups; times as big as; once, twice, three times; product; factor; grid method	Groups of; lots of; times; array; altogether; multiply; count; multiplied by; repeated addition; column; row; commutative; sets of; equal groups; times as big as; once, twice, three times; product; factor; grid method; multiple; tens; ones; value; factor pair; approximate	Groups of; lots of; times; array; altogether; multiply; count; multiplied by; repeated addition; column; row; commutative; sets of; equal groups; times as big as; once, twice, three times; product; factor; grid method; multiple; tens; ones; value; factor pair; approximate; integer; decimal; short/long multiplication; regroup	Groups of; lots of; times; array; altogether multiply; count; multiplied by; repeated addition; column; row; commutative; sets of; equal groups; times as big as; once, twice, three times; product; factor; grid method; multiple; tens; ones; value; factor pair; approximate; integer; decimal; short/long multiplication; regroup; tenths; hundredths	

\*This vocabulary is not an exhaustive list. Teachers will use recommended NCETM vocabulary in lessons.







#### **RECEPTION MULTIPLICATION**

	REAL-LIFE REPRESENTATION	OTHER REPRESENTATION
Making doubles	Children explore doubles in their environment including in games such as on dominoes or dice. They focus on the understanding of doubles being 2 equal groups.	Children use five frames to find doubles by lining up counters or cubes.
		Double 4 is 8.
	Double 4 is 8.	
	Double 2 is 4.	
	Double 3 is 6.	





#### **YEAR 1 MULTIPLICATION**

	CONCRETE	PICTORIAL	ABSTRACT
Recognising and making equal groups	Children arrange objects in equal and unequal groups and understand how to recognise whether they are equal.ABC	Children draw and represent equal and unequal groups.	<i>Three equal groups of 4. Four equal groups of 3.</i>
Finding the total of equal		100 squares and ten frames support counting in 2s, 5s and 10s.	Use a number line to support repeated addition through counting in 2s, 5s and 10s.
groups by counting in 2s,	77777777		10 10 10 10 10
5s and 10s	There are 5 pens in each pack		(
	510152025303540	II         I2         I3         I4         I5         I6         I7         I8         I9         20           21         22         23         24         25         26         27         28         29         30           31         32         33         34         35         36         37         38         39         40           41         42         43         44         45         46         47         48         49         50	0 10 20 30 40 50



#### **YEAR 2 MULTIPLICATION**



	1	r	Learning musi
	CONCRETE	PICTORIAL	ABSTRACT
Equal groups and repeated addition	Recognise equal groups and write as repeated addition and as multiplication.	Recognise equal groups using standard objects such as counters and write as repeated addition and multiplication. 3 groups of 5 15 in total	Use a number line and write as repeated addition and as multiplication. 1000000000000000000000000000000000000
Using arrays to represent multiplication and support understanding	Understand the relationship between arrays, multiplication and repeated addition.	Understand the relationship between arrays, multiplication and repeated addition.	Understand the relationship between arrays, multiplication and repeated addition. $\overrightarrow{0}$ 5 10 15 20 25 $5 \times 5 = 25$
Understanding commutativity	Use arrays to visualise commutativity.	Form arrays using counters to visualise commutativity. Rotate the array to show that orientation does not change the multiplication.	Use arrays to visualise commutativity.
	<i>I can see 6 groups of 3. I can see 3 groups of 6.</i>	<i>This is 2 groups of 6 and also 6 groups of 2.</i>	4 + 4 + 4 + 4 + 4 = 20 5 + 5 + 5 + 5 = 20 4 × 5 = 20 and 5 × 4 = 20



Learning ×2, ×5	Develop an understanding of how to	Understand how to relate counting in	Understand how the times-tables increase and c	ontain
and ×10 table	unitise groups of 2, 5 and 10 and learn	unitised groups and repeated	patterns.	
facts	corresponding times-table facts.	addition with knowing key times- table facts.		
				10 =
		000000000	10 10 2 ×	10 = 🗌
		000000000	10 10 10 3 ×	10 =
		000000000	10 10 10 10 4 ×	10 =
			10 10 10 10 10 5 ×	10 = 🦳
			10 10 10 10 10 10 6 ×	10 =
		0 10 20 30	10 10 10 10 10 10 10 7 ×	10 =
	3 groups of 10 10, 20, 30 3 × 10 = 30		10 10 10 10 10 10 10 10 8 ×	10 =
	5 × 10 = 50	10 + 10 + 10 = 30 3 × 10 = 30	10 10 10 10 10 10 10 10 10 10 10 10 10 1	10 =
			10 10 10 10 10 10 10 10 10 10 ×	10 =
			IO I	10 =
			10 10 10 10 10 10 10 10 10 10 10 10 10 1	10 =
			5 × 10 = 50	
			6 × 10 = 60	



#### YEAR 3 MULTIPLICATION



	CONCRETE	PICTORIAL	ABSTRACT
Understanding equal grouping and repeated addition	Children continue to build understanding of equal groups and the relationship with repeated addition. They recognise both examples and non- examples using objects. Children recognise that arrays can be used to model commutative multiplications.	Children recognise that arrays demonstrate commutativity.	Children understand the link between repeated addition and multiplication. $ \begin{array}{c} +3 \\ +3 \\ +3 \\ -3 \\ -3 \\ -6 \\ -4 \\ -4 \\ -4 \\ -4 \\ -4 \\ -4 \\ -4 \\ -4$



Using commutativity to support understanding of the times- tables	Understand how to use times-tables facts flexibly.	Understand how times-table facts relate to commutativity.	Understand how times-table facts relate to commutativity. <i>I need to work out 4 groups of 7.</i> <i>I know that 7 × 4 = 28</i> <i>so, I know that</i> <i>4 groups of 7 = 28</i> <i>and</i> <i>7 groups of 4 = 28.</i>
Understanding and using ×3, ×2, ×4 and ×8 tables.	Children learn the times-tables as 'groups of', but apply their knowledge of commutativity.         Image: Children learn the times-tables as 'groups of', but apply their knowledge of commutativity.         Image: Children learn the times-tables as 'groups of', but apply their knowledge of commutativity.         Image: Children learn the times-tables as 'groups of', but apply their knowledge of commutativity.         Image: Children learn the times-tables as 'groups of ', but apply their knowledge of commutativity.         Image: Children learn the times the times of the times o	Children understand how the ×2, ×4 and ×8 tables are related through repeated doubling.	Children understand the relationship between related multiplication and division facts in known times-tables. $2 \times 5 = 10$ $5 \times 2 = 10$ $10 \div 5 = 2$ $10 \div 2 = 5$

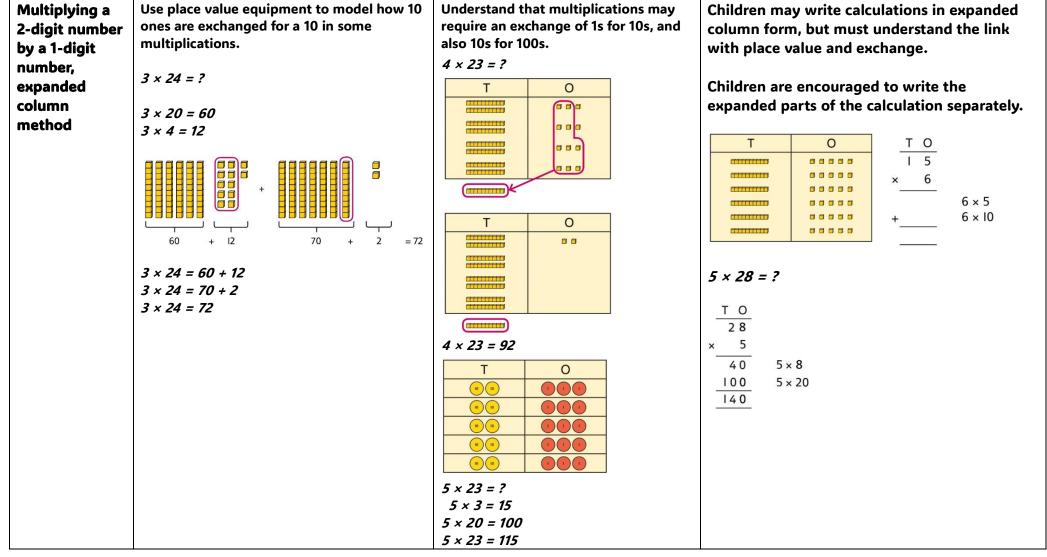


Using known facts to multiply 10s, for example 3 × 40	Explore the relationship between known times-tables and multiples of 10 using place value equipment.      Make 4 groups of 3 ones.	Understand how unitising 10s supports multiplying by multiples of 10.	Understand how to use known times-tables to multiply multiples of 10. $\begin{array}{c} +2 \\ +2 \\ +2 \\ +1 \\ +1 \\ +1 \\ +1 \\ +1 \\$
	Make 4 groups of 3 tens.	10       10       10       10         10       10       10       10         4 groups of 2 ones is 8 ones.       4 groups of 2 tens is 8 tens.         4 x 2 = 8       4 × 20 = 80	$\begin{array}{c} +20 +20 +20 +20 \\ +20 +20 +20 +20 \\ 0 & 10 & 20 & 30 & 40 & 50 & 60 & 70 & 80 \end{array}$ $\begin{array}{c} 4 \times 2 = 8 \\ 4 \times 20 = 80 \end{array}$



Multiplying a 2-digit number by a 1-digit	Understand how to link partitioning a 2- digit number with multiplying.	Use place value to support how partitioning is linked with multiplying by a 2-digit number.	Use addition to complete multiplications of 2- digit numbers by a 1-digit number.
number	Each person has 23 flowers. Each person has 2 tens and 3 ones.	3 × 24 = ?	4 × 13 = ?
		T O	4 × 3 = 12 4 × 10 = 40
			12 + 40 = 52 4 × 13 = 52
	while a first the same after the same after the		
	There are 3 groups of 2 tens.	3 × 4 = 12	
	There are 3 groups of 3 ones.	ТО	
	Use place value equipment to model the multiplication context.		
	T O		
		3 × 20 = 60	
		60 + 12 = 72	
	There are 3 groups of 3 ones.	3 × 24 = 72	
	There are 3 groups of 2 tens.		







#### **YEAR 4 MULTIPLICATION**



	CONCRETE	PICTORIAL	ABSTRACT
Multiplying by multiples of 10 and 100 Understanding times-tables up to 12 × 12	CONCRETEUse unitising and place value equipment to understand how to multiply by multiples of 1, 10 and 100.Image: Image: I	PICTORIALUse unitising and place value equipment to understand how to multiply by multiples of 1, 10 and 100. $3 \times 4 = 12$ $3 \times 40 = 120$ $3 \times 40 = 120$ $3 \times 400 = 1,200$ Represent the relationship between the ×9 table and the ×10 table.	Use known facts and understanding of place value and commutativity to multiply mentally. $4 \times 7 = 28$ $4 \times 70 = 280$ $40 \times 7 = 280$ $4 \times 700 = 2,800$ $400 \times 7 = 2,800$ Understand how times-tables relate to counting patterns. Understand links between the
	<b>5</b> × 1 = 5 <b>5</b> × 0 = 0	Represent the ×11 table and ×12 tables in relation to the ×10 table. $2 \times 11 = 20 + 2$ $3 \times 11 = 30 + 3$ $4 \times 11 = 40 + 4$	×3 table, ×6 table and ×9 table $5 \times 6$ is double $5 \times 3$ ×5 table and ×6 table <i>I know that</i> $7 \times 5 = 35$ so <i>I know that</i> $7 \times 6 = 35 + 7$ . ×5 table and ×7 table $3 \times 7 = 3 \times 5 + 3 \times 2$ $3 \times 5$ $3 \times 7$ ×9 table and ×10 table $6 \times 10 = 60$ $6 \times 9 = 60 - 6$



Understanding and using	Make multiplications by partitioning. 4 × 12 is 4 groups of 10 and 4 groups of	Understand how multiplication and partitioning are related through addition.	Use partitioning to multiply 2-digit numbers by a single digit.
partitioning in multiplication	2.	$4 \times 3 = 12$	$18 \times 6 = ?$ $18 \times 6 = 60$ $18 \times 6 = 10 \times 6 + 8 \times 6$ $= 60 + 48$ $= 108$ $8 \times 6$ $= 48$
	4 × 12 = 40 + 8	4 × 5 = 20 12 + 20 = 32 4 × 8 = 32	$ \begin{array}{rcl} 18 \times 6 &= 10 \times 6 + 8 \times 6 \\                                  $
Column multiplication for 2- and	Use place value equipment to make multiplications. <i>Make 4 × 136 using equipment.</i>	Use place value equipment alongside a column method for multiplication of up to 3-digit numbers by a single digit.	Use the formal column method for up to 3-digit numbers multiplied by a single digit.
3-digit numbers multiplied by a single digit		00       00       0       1       1       3       1       2         00       00       0       1       1       ×       3         00       00       0       1       1       ×       3         00       00       0       1       1       ×       3         00       00       0       1       1       ×       3	$ \frac{x}{9} \frac{3}{6} $ Understand how the expanded column method is
	<i>I can work out how many 1s, 10s and 100s.</i>		related to the formal column method and understand how any exchanges are related to place value at each stage of the calculation.
	There are 4 × 6 ones24 onesThere are 4 × 3 tens12 tensThere are 4 × 1 hundreds4hundreds		$ \begin{array}{cccccccccccccccccccccccccccccccccccc$
	24 + 120 + 400 = 544		1 1 5



Multiplying more than two	Represent situations by multiplying three numbers together.	Understand that commutativity can be used to multiply in different orders.	Use knowledge of factors to simplify some multiplications.
numbers	$ieta = 5 \times 2 \times 3 \text{ stickers in total.}$	$2 \times 6 \times 10 = 120$ $10 \times 6 \times 2 = 120$ $60 \times 2 = 120$	$24 \times 5 = 12 \times 2 \times 5$ $12 \times 2 \times 5 = $ $12 \times 10 = 120$ So, 24 \times 5 = 120



#### YEAR 5 MULTIPLICATION



	CONCRETE	PICTORIAL	ABSTRACT
Understanding factors	Use cubes or counters to explore the meaning of 'square numbers'.	Use images to explore examples and non- examples of square numbers.	Understand the pattern of square numbers in the multiplication tables.
	<i>25 is a square number because it is made from 5 rows of 5.</i>		Use a multiplication grid to circle each square number. Can children spot a pattern?
	Use cubes to explore cube numbers.	$8 \times 8 = 64$ $8^2 = 64$	
	8 is a cube number.	<i>12 is not a square number, because you cannot multiply a whole number by itself to make 12.</i>	
Multiplying by 10, 100 and 1,000	Use place value equipment to multiply by 10, 100 and 1,000 by unitising.	Understand the effect of repeated multiplication by 10.	Understand how exchange relates to the digits when multiplying by 10, 100 and 1,000.
	$4 \times l = 4 \text{ ones} = 4$ Image: Constraint of the second seco		H T O I 7 17 × 10 = 170 17 × 100 = 17 × 10 × 10 = 1,700 17 × 1,000 = 17 × 10 × 10 × 10 = 17,000



			Loanning moon
Multiplying by multiples of	Use place value equipment to explore multiplying by unitising.	Use place value equipment to represent how to multiply by multiples of 10, 100 and 1,000.	Use known facts and unitising to multiply.
10, 100 and 1,000	5 groups of 3 ones is 15 ones. 5 groups of 3 tens is 15 tens. 5 groups of 3 tens is 15 tens.	$4 \times 3 = 12  4 \times 300 = 1,200$	5 × 4 = 20 5 × 40 = 200 5 × 400 = 2,000 5 × 4,000 - 20,000 5,000 × 4 = 20,000
Multiplying up to 4-digit numbers by a	Explore how to use partitioning to multiply efficiently. 8 × 17 = ?	Represent multiplications using place value equipment and add the 1s, then 10s, then 100s, then 1,000s.	Use an area model and then add the parts.
single digit		Н Т О	5 100 × 5 = 500 60 × 5 = 300 3 × 5 = 15
			Use a column multiplication, including any required exchanges.
			I 3 6 × 6
	8 × 10 = 80 8 × 7 = 56		$\frac{8  1  6}{2  3}$
	80 + 56 = 136		
	So, 8 × 17 = 136		



Multiplying 2- digit numbers	Partition one number into 10s and 1s, then add the parts.	Use an area model and add the parts.	Use column multiplication, ensuring understanding of place value at each stage.
by 2-digit numbers	23 × 15 = ?	28 × 15 = ?	34
	23 × 15 = ? $10 \times 15 = 150$ $10 \times 15 = 150$ $1 \times 5 = 0$ $1 \times 5 = 3 \times 15 = 345$	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{c} 3 \ 4 \\ \times \ 2 \ 7 \\ 2 \ 3 \ 2 \\ 3 \ 2 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ 2 \\ 3 \ 2 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 2 \ 7 \\ 2 \ 3 \ 2 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 2 \ 7 \\ 2 \ 3 \ 2 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 4 \\ 2 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 4 \\ 2 \\ 1 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 4 \\ 2 \\ 1 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 4 \\ 2 \\ 1 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 4 \\ 2 \\ 1 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 3 \\ 4 \\ \end{array} \\ \begin{array}{c} 4 \\ 2 \\ 2 \\ 1 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 3 \\ 4 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ 1 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ 2 \\ 1 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ 2 \\ 1 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ 2 \\ 1 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ 2 \\ 1 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ 2 \\ 1 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ 2 \\ 1 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ 2 \\ 1 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ 2 \\ 1 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \times \ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 3 \ 4 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ \end{array} \\ \begin{array}{c} 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ 2 \\ 2 $



Multiplying up to 4-digits by 2-digits 2-digits $Use the area model then add the parts.Use column multiplication, ensuringunderstanding of place value at each stage.\begin{bmatrix} 100 & 40 & 3 & \\ 100 & 2 & 0 & 0 \\ 2 & 0 & 0 & \\ 100 & 2 & 0 & 0 \\ 2 & 0 & 0 & \\ 3 & 0 & 0 & 0 \\ 133 \times 12 = 1,716 & \\ \end{bmatrix}Use column multiplication, ensuringunderstanding of place value at each stage.\begin{bmatrix} 1 & 4 & 3 & 0 & \\ 143 \times 12 & 0 & \\ 17 & 1 & 6 & \\ 143 \times 12 & \\ 1274 \times 32 & \\ 1 & 2 & 7 & \\ 1274 & 32 & \\ 1 & 2 & 7 & \\ 1274 & 32 & \\ 1 & 2 & 7 & \\ 1274 & 32 & \\ 1 & 2 & 7 & \\ 1274 & 32 & \\ 1 & 2 & 7 & \\ 1274 & 32 & \\ 1 & 2 & 7 & \\ 1274 & 32 & \\ 1 & 2 & 7 $
2-digits $10^{-100} - 40^{-3} - 10^{-1} + 1 + 7 - 0 - 0} + 1 + 4 - 3 + 1 + 2 - 1 + 4 - 3 + 1 + 2 + 1 + 1$
Finally, find the total.         1       2       7       4 $\times$ 3       2         2       5       4       8       1,274 × 2



Multiplying decimals by 10, 100 and	Use place value equipment to explore and understand the exchange of 10 tenths, 10 hundredths or 10 thousandths.	Represent multiplication by 10 as exchange on a place value grid.	Understand how this exchange is represented on a place value chart.
1,000			$\begin{array}{c ccccccccccccccccccccccccccccccccccc$